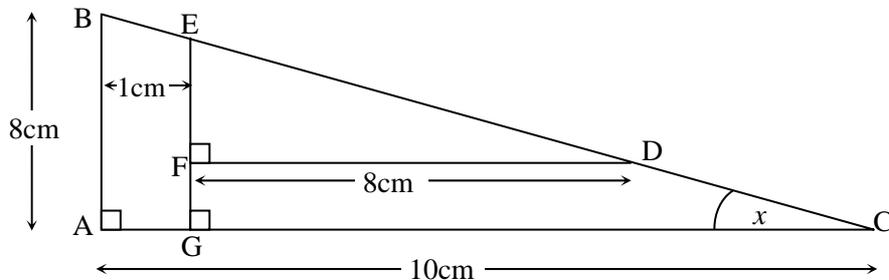


7. Simplify
- a) i) $3p^3 \times 2p^3$
 ii) $\frac{9r^4}{6r^3}$
- b) i) Rearrange the equation $m = 2r + 3st$, making r the subject.
 ii) If in the equation $m = 2r + 3st$, $r = -3$, $s = -4$ and $t = -5$, find m . 5 marks

8. ABC, DEF and CEG are similar triangles.
 AB and EG are parallel with the distance between them 1cm.



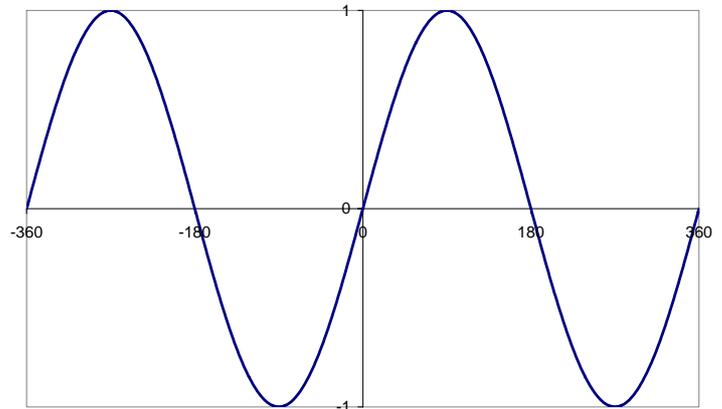
- a) i) Find the length BC, leaving your answer in the form \sqrt{n} , where n an integer.
 ii) Simplify your answer \sqrt{n} into the form $p\sqrt{q}$, with p , and q are integers.
- b) Calculate the lengths EF and EG.
- c) i) Which angle in the diagram is equal to $\angle EDF$?
 ii) Given that $\tan x = r$, find r . 7 marks
9. In 2002 Jim records his first 5 golf scores as 68, 70, 71, 71, 73.
 Jim records his scores in date order, so the 68 was his first score, 70 his second, etc.
- a) Calculate his average score.
- Jim then records his next 4 scores, in date order, as 68 70 71 68.
- b) Calculate the moving average based on 5 games at a time. 3 marks
10. a) Factorise the expression, $x^2 - x - 6$ and hence solve the equation $x^2 - x - 6 = 0$.
 b) Solve the equations:
 i) $2(x + 2) = x$
 ii) $\frac{2}{3}x = 19$
 c) Solve the inequality, $2 - 3x < 17$ 8 marks
11. The number of hot pasties, p , which are sold at a rugby game is directly proportional to the square of the number of spectators, s , watching the game.
- At the first game of the season, there were 1000 spectators, and 100 pasties were sold.
- a) Find a formula for p in terms of s , evaluating any constants.
 b) At the final game, there are 500 spectators. How many pasties will be sold? 6 marks
12. a) i) Write the expression $(4x + 2)(3x - 12)$ without brackets in simplified form.
 ii) Hence write the $(4x + 2)(3x - 12)$ in the form $6(ax^2 - bx - c) = 0$ with a , b and c positive integers.
 b) Hence or otherwise solve $2x^2 - 7x - 4 = 0$ 6 marks

13. Evaluate

- a) $125^{1/3}$
- b) $64^{-2/3}$
- c) 4^0
- d) $32^{3/5}$

4 marks

14. To the right is the graph of $y = \sin x$ for values of x between -360° and 360° .



- a) One solution of the equation $\sin x = -0.574$ is $x = 215^\circ$. Find all other solutions for x in the range -360° to 360° .
- b) Sketch, with x ranging between 0 and 360° –
 - i) $y = 2 \sin x$
 - ii) $y = \sin(x + 45)$

7 marks

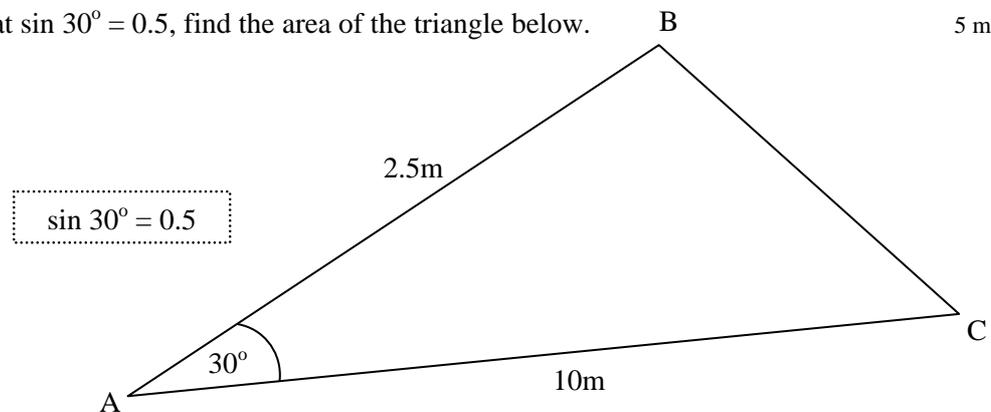
15. a) Simplify the fraction $\frac{1}{2\sqrt{5}}$ by removing the square root from the denominator.
- b) Simplify the following. Give your answer in the form $a + b\sqrt{3}$

$$(4 - 5\sqrt{3})(1 + \sqrt{3})$$

5 marks

16. Using the fact that $\sin 30^\circ = 0.5$, find the area of the triangle below.

5 marks



17. Make p the subject of the formula below.

$$V = \frac{pQ + 4}{2p}$$

5 marks

18. Given that \mathbf{a} and \mathbf{b} are vectors such that–

$$\mathbf{a} = \begin{bmatrix} 2 \\ 4 \end{bmatrix} \text{ and } \mathbf{b} = \begin{bmatrix} -4 \\ 1 \end{bmatrix}$$

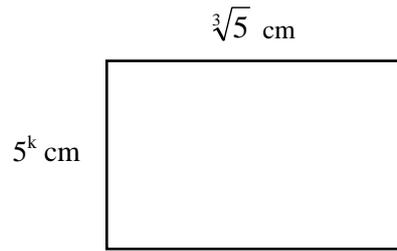
Find–

- a) $2\mathbf{a} + \mathbf{b}$
- b) $\mathbf{b} - \mathbf{a}$

4 marks

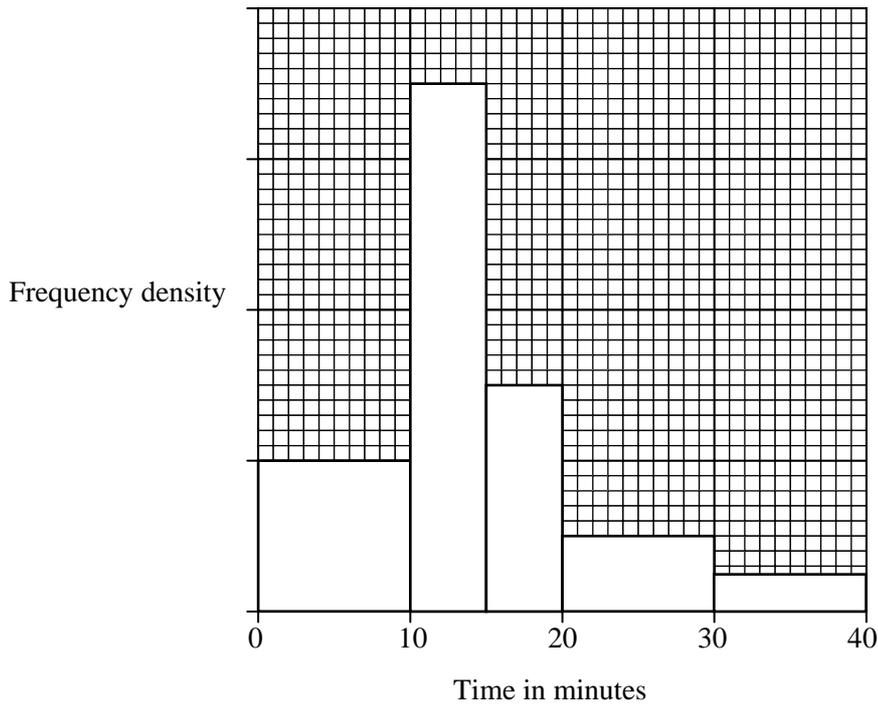
19. The area of the rectangle below is 125cm^2 . Find the value of k .

5 marks



20. Jenny is investigating how long it takes members of her year to travel in to school each day. Her results for a particular day are shown in the histogram below - the y-axis scale is not shown. There were 5 people whose journey had length from 30 minutes up to, but not including, 40 minutes.

a) Use the histogram to copy and complete the table below.



Length in minutes (t)	Frequency
$0 \leq t < 10$	
$10 \leq t < 15$	
$15 \leq t < 20$	
$20 \leq t < 30$	
$30 \leq t < 40$	5

b) Jenny repeated the study the following week. She constructs a table of the data prior to making the histogram, shown below. Express x in terms of y .

Length in minutes (t)	Frequency	Frequency Density
$0 \leq t < 30$	69	2.3
$30 \leq t < 40$	x	y

5 marks